Sampling representative years for a TSO in a climate simulation of 200 years.

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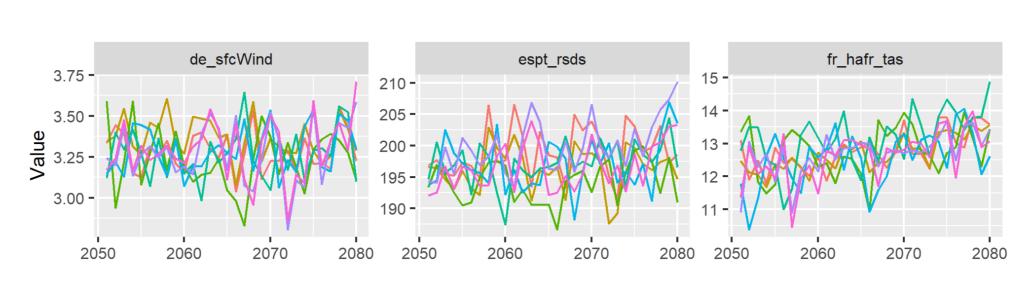
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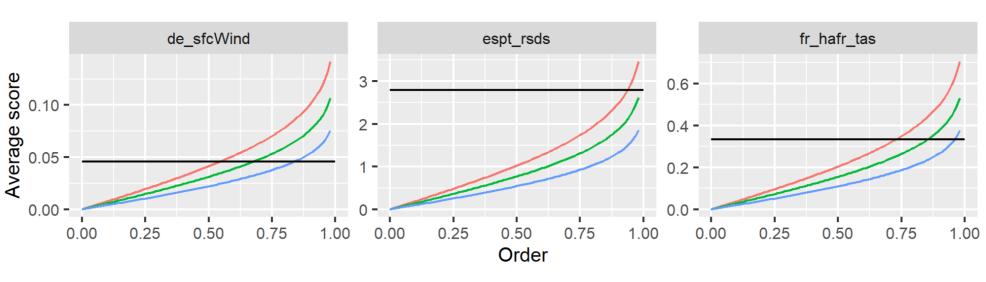
Introduction

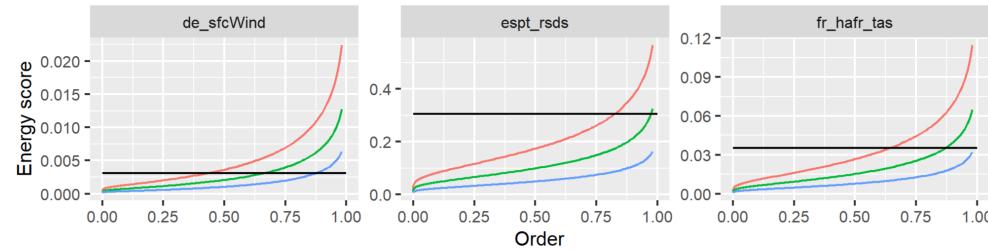
We have several datasets of **200 years of hourly gridded data** under future climate. Because power-flow simulations for 200 years are computationally costly, our objective is to find a small number of representative years.

Statistical models based on historical data convert weather variables to energy-related variables : consumption, and wind and photovoltaic (PV) capacity factors. Assumptions on the evolution of electricity generation and consumption (population growth, new wind power plants, technology evolution, electric mobility...) come from our Long-Term Adequacy Report [1].

The sample of roughly 10 years should be close to the full dataset. We resort to the definition of constraints to filter sample candidates.







Experiment 2 : energy

Data set 2 = energy-related :

- 200 years of Arpege-Climate model for 2050 under RCP 8.5.
- Weather \rightarrow loads and renewables \rightarrow generations \rightarrow power flows.
- Antares simulator [3] optimizes the production unit commitment.
- 2 socio-economic scenarios.
- Energy variables : regional/national/continental net load, flows ...
- Operational use of the sample of 10 years.

No other data ? optimize !

- Custom score thresholds M_i .
- Numerical experiments for $\binom{200}{10} \approx 10^{16}$.

We illustrate :

- the difference between the sampled and the full distribution.

Sample scoring

For each variable and location, we compute several scores between the sample *u* and the full distribution *v* :

e.g.
$$|\widehat{\mu}_{t2m}^{austria} - \mu_{t2m}^{austri}|$$

Rte

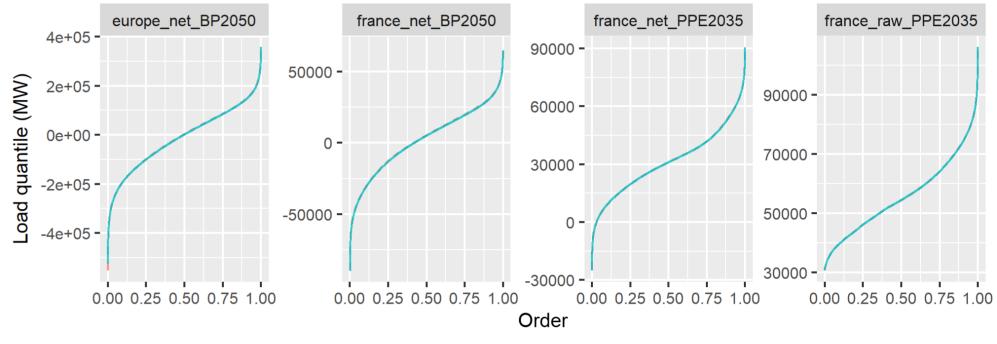
- A year is a distribution of timesteps.
- A sample *u* of years is a mixture of distributions $f_u = \sum_{j=1}^N u_j f_j$.
- A sample *u* is compared to the uniform mixture *v*.

Table 1: Score definitions. Score Speed Formula $|\widehat{\mu}-\mu| = |u^ op m - v^ op m|$ Mean value Fast $u^{ op}Av - rac{1}{2}u^{ op}Au - rac{1}{2}v^{ op}Av$ Fast Energy score $rac{1}{N_{a}}\sum_{lpha}\left|q(lpha)-\hat{q}\left(lpha
ight)
ight|$ Quantile MAE Slow Quantile MAE peak $\frac{1}{N_p} \sum_{\alpha > \alpha_{peak}} |q(\alpha) - \hat{q}(\alpha)|$ Slow Quantile error $99^{th} |q(lpha^{99}) - \hat{q}(lpha^{99})|$ Slow

For the energy score, we precompute the matrix *A* with : $-ES = E(||X - Y||) - \frac{1}{2}E(||X - X'||) - \frac{1}{2}E(||Y - Y'||).$

- the approximation error of a satisfying sample.

— Quantile obs



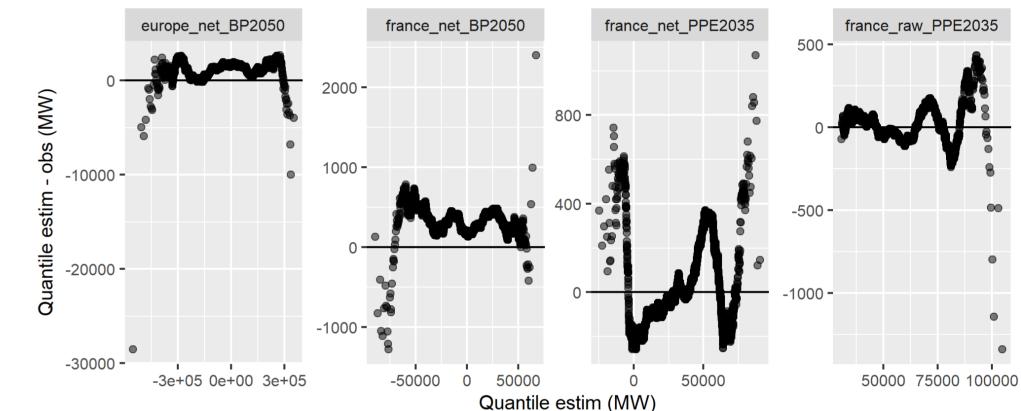
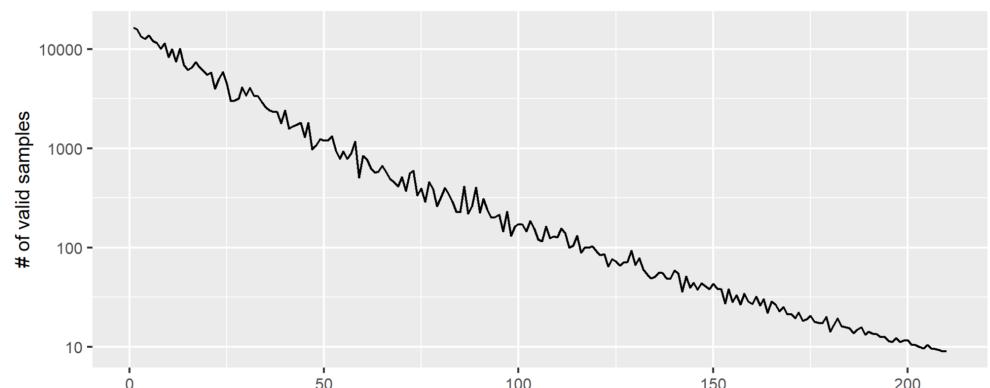


Figure 4: Observed (200 years) and estimated quantiles from a satisfying sample.

Figure 1: Top line : series of annual average values. Middle and bottom line : sorted scores of random samples according to the sample size (number of years). The black line indicates the threshold M_i .

Table 2: Number of random samples among 10^7 verifying $\forall i \, score_i < M_i$. The number 25000 is an estimation (last row).

Size	avg	energy	avg+energy	avg+energy+quantile	
6	2482	241	28	0	
1(54347	128814	17631	9	
18	8 727397	2790931	634804	25000	



Sampling strategies

We want $\forall i, score_i < M_i$. Lowering M_i increases difficulty.

- To generate a new sample, we can use :
- random sampling,
- random sampling based on a clustering of years [2], - local search optimization.

To save computation time :

- we compute costly scores only if cheap scores are satisfying.

In practice, we tested 10^7 samples for each experiment.

Experiment 1 : weather

Data set 1 = weather-related :

- Climate projections 2050-2080 RCP 8.5.
- Weather variables : temperature, wind speed and solar radiation.
- 7 models \rightarrow 210 years.
- 5 score types \times 25 regional aggregates \times 3 variables = 375 scores.

What about multi-model variability?

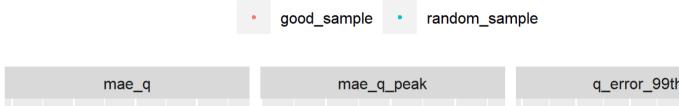
- We want to avoid overfitting, i.e. M_i too low.
- We want M_i > multi-model variability.
- With two samples P_{90} , P'_{90} of 90 years (2 × 3 models among 7),
- we set $M_i = \gamma \times \max(score_i(P_{90}, P_{90}'))$ with $\gamma = 1.5$.
- Numerical experiments for $\binom{90}{10} \approx 10^{12}$.

Number of constraints

Figure 2: Number of satisfying random samples depending on the number of randomly picked constraints of quantile score, for samples of 10 years.

good sample • M i • random sample

rsds avg	rsds energy 0.1 0.2 0.3	rsds mae_q	rsds mae_q_peak	rsds q_error_99
sfcWind avg 0.05 0.100	sfcWind energy	sfcWind mae_q	sfcWind mae_q_peak	sfcWind q_error_ 0.0 0.1 0.2 0.
tas avg	tas energy	tas mae_q	tas mae_q_peak	tas q_error_99



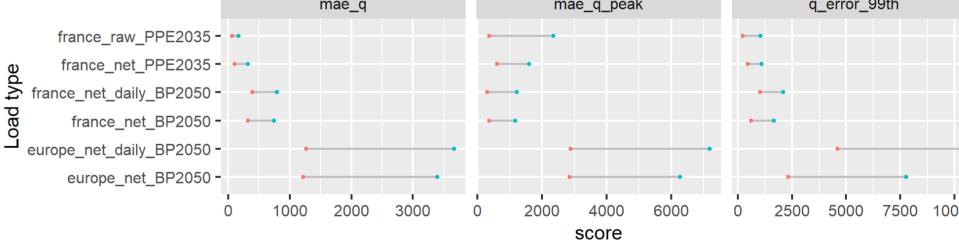


Figure 5: Scores of a satisfying sample vs. average scores of random samples.

Discussion

- Definitions of distance between years ?
- Avoiding bad sampling vs. minimization ?
- Number of scores ?
- New variables with spatial or temporal aggregation ?
- Definitions of score threshold M_i ?
- Sufficient number of climate models ? Sufficient number of socioeconomic scenarios?
- Sampling strategies ?

Conclusion

• Lower approximation error with satisfying samples of years. • Experiments on weather and energy data. • A few R packages: fields, energy, lubridate, posterdown. • Code : <u>https://github.com/rte-france/scenclimsample</u>

We illustrate :

- the large intermodel variability (large M_i). - the importance of the sample size (number of years). - the filtering efficiency of the number of constraints. - the approximation error of a selected sample.

0.025 0.050 0.3 0.6

Figure 3: Scores of a satisfying sample vs. average scores of random samples.

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RTE. Long-Term Adequacy Report. URL: <u>https://rte-</u> futursenergetiques2050.com/ [2] Gabor J Szekely and Maria L Rizzo. "Hierarchical clustering via joint between-within distances: ExtendingWard's minimum variance method." In: Journal of classification 22.2 (2005), pp. 151–183. [3] RTE. Antares simulator. URL: <u>https://antares-simulator.org</u>.