

Extreme and long-lasting events of high residual load with long climate model simulations and rare event algorithm

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Introduction

Extreme events with a focus on

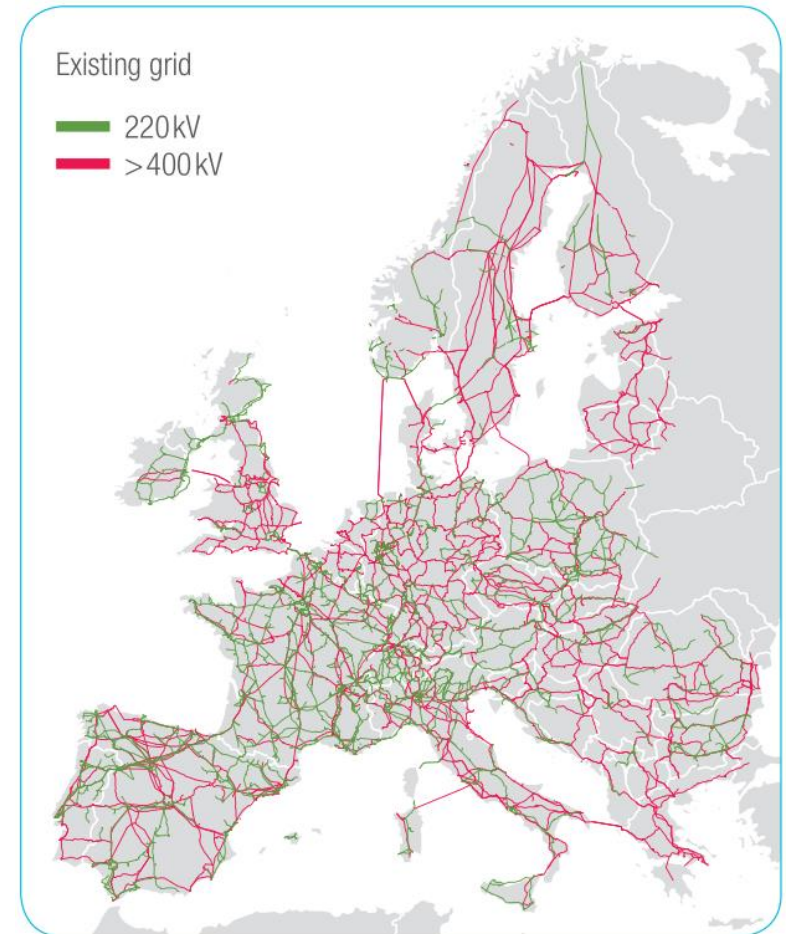
- Long event (from 1 to 30 days), in winter
- Scale of Europe

These extreme events are a combination of:

- low renewable production
- high demand

Questions

- What are the probabilities of such events?
- What are the dynamics associated?



European Power Grid,
e-Highway2050 project (2015)

Climate and energy models

Climate model

- CESM 1.2.2 (NCAR)
- Atmospheric and land components, but no ocean component
- **1000 years** of climate data in stationary conditions (2000s climate)

Simple energy model [1]

European aggregated

- Wind production
- Solar PV production
- Electricity demand
- National Trend scenario of wind and solar PV installed capacity (TYNDP)

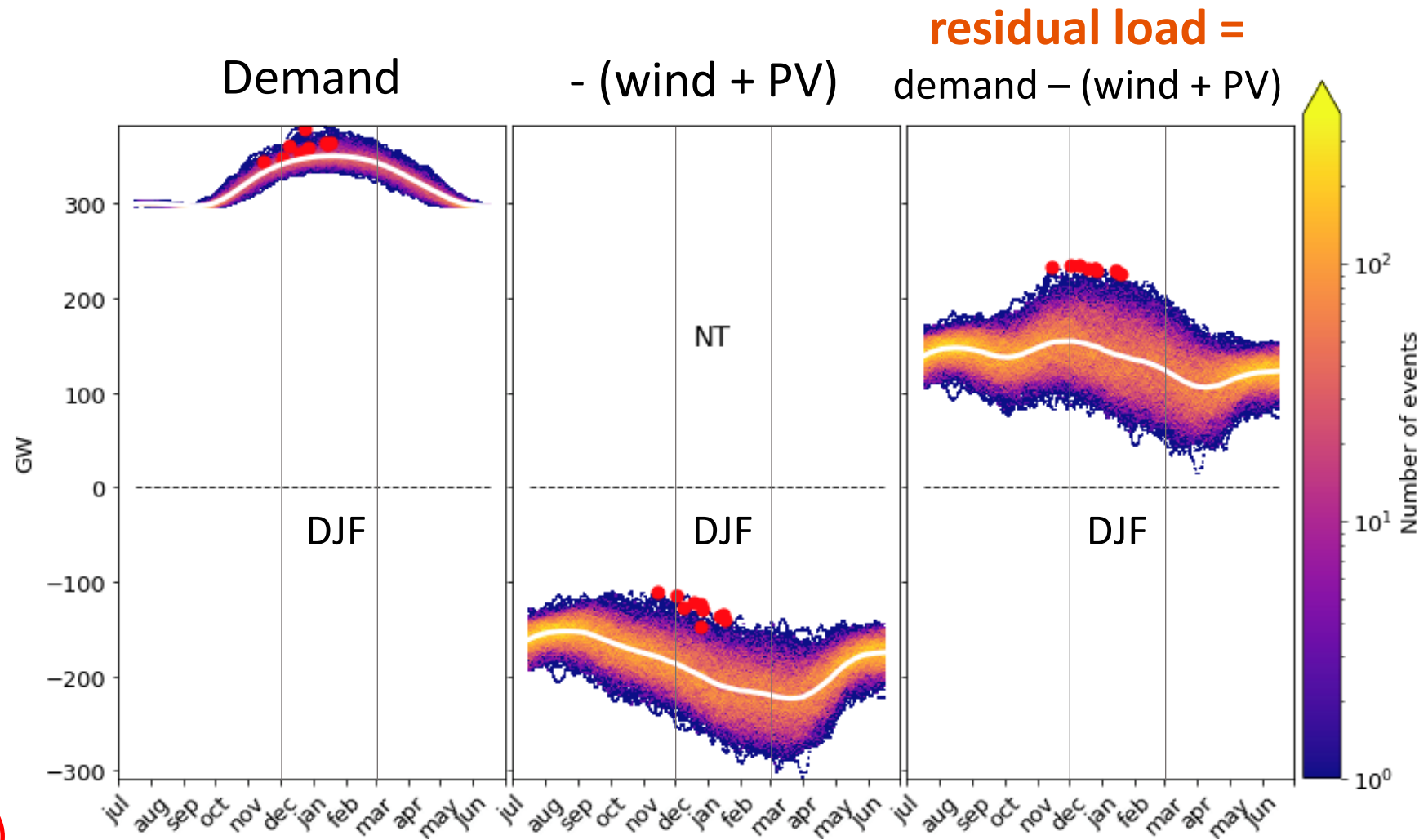
[1] van der Wiel et al. *Environ. Res. Lett.* (2019)

Distribution of monthly residual load events

- High residual load events are challenging for the power system
- Each pixel is a monthly events (30 days)

We look at

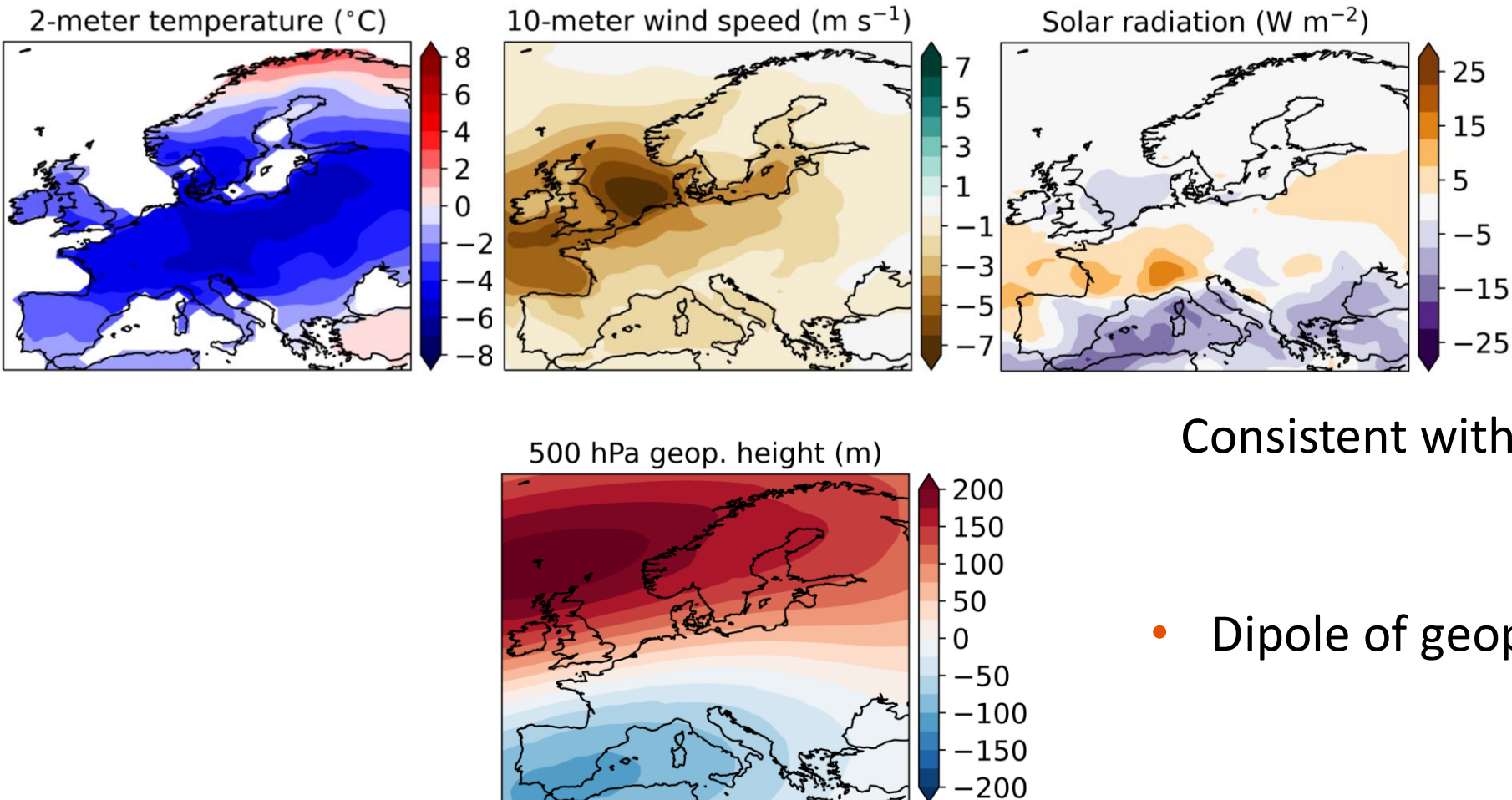
- 10-year events
- 100-year events (red dots)



Compound events

$r = 10$ years

Composite maps of 10-year daily events



- Compound events:
- Low wind speed
 - Low temperature
 - Low solar radiation in Southern Europe

Consistent with van der Wiel et al. (2019)

- Dipole of geopotential height anomaly

Influence of event duration and amplitude

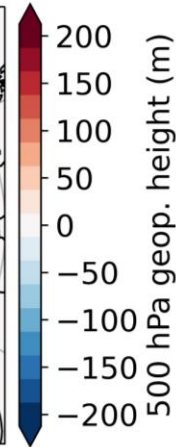
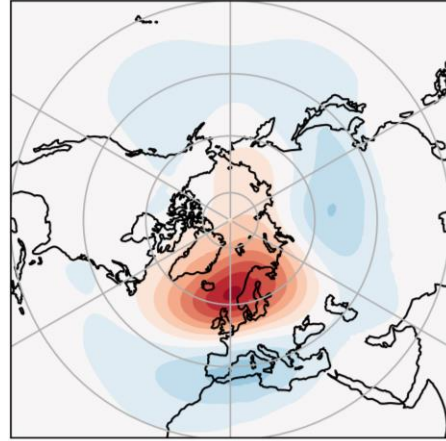
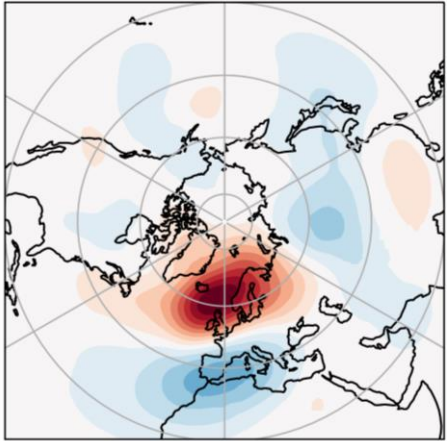
$r = 10$ years

Longer events

T = 1 day



T = 30 days



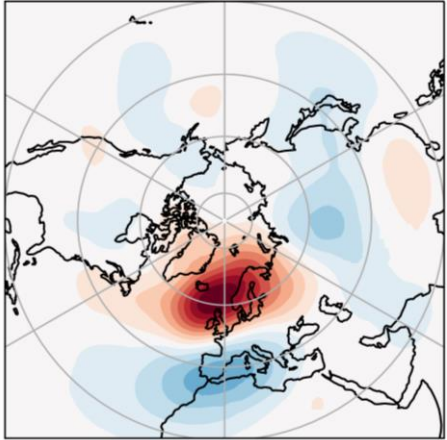
- Same dipole pattern for daily and monthly events

Influence of event duration and amplitude

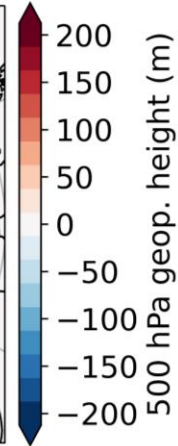
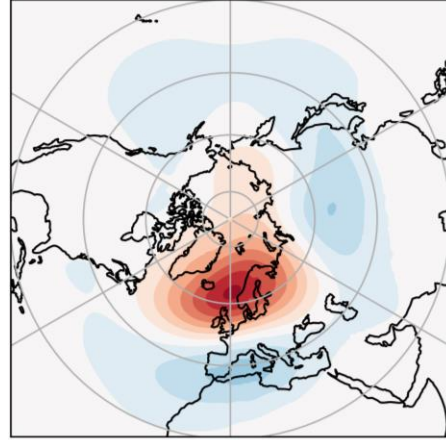
r = 10 years

Longer events

T = 1 day

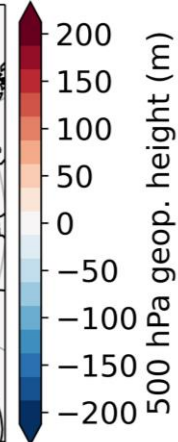
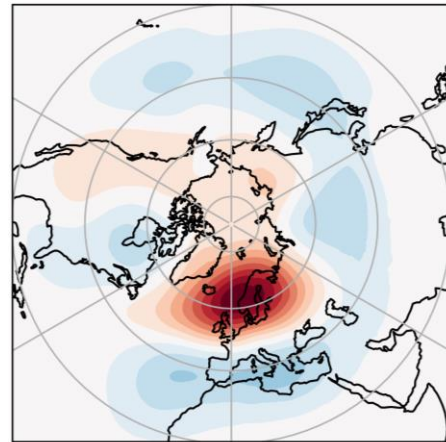
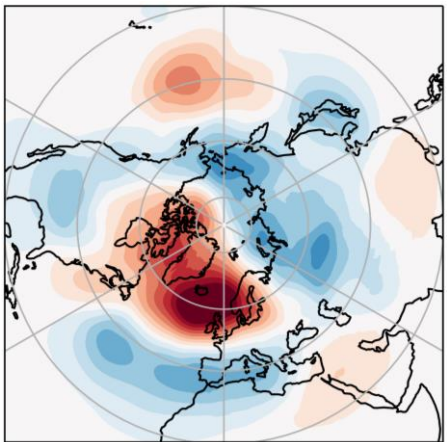


T = 30 days



- Same dipole pattern for daily and monthly events

r = 100 years

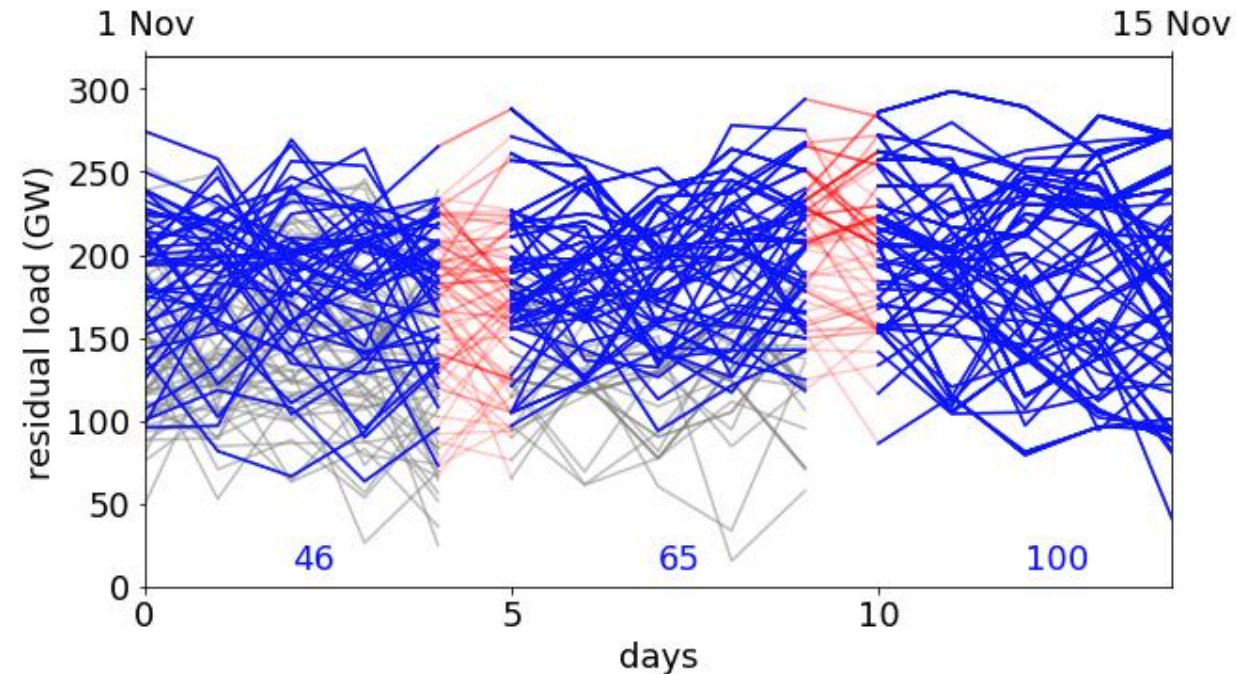


More extreme events

- More extreme events also show the same pattern
- Probably stronger teleconnection pattern (need more data)

Rare event algorithm: principle

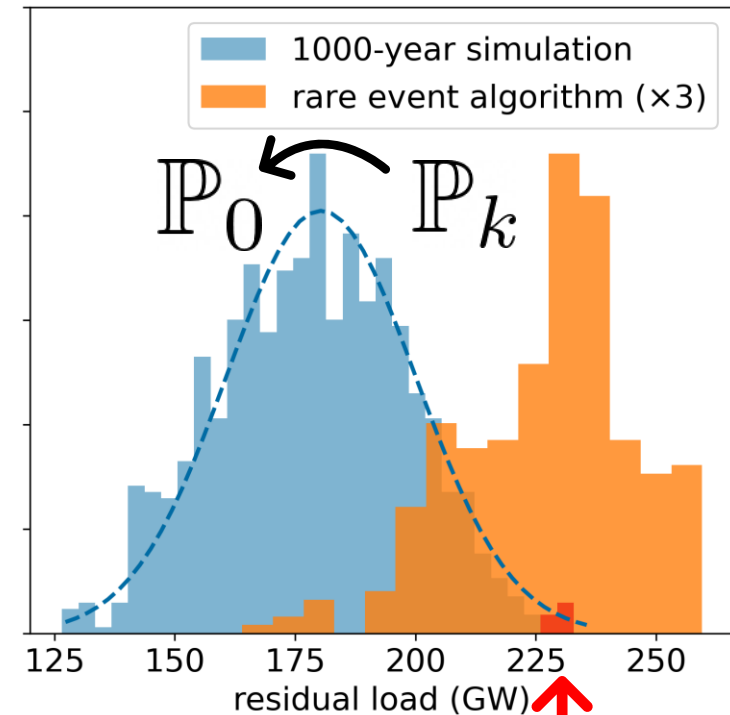
- Algorithm originally developed using statistical physics ideas
- Each trajectory is a simulation of the climate model
- 100 trajectories, with 100 independent initial conditions
- Every 5 days, trajectories that « perform » the best (according to a score function) are cloned, the others are killed



First 15 days of a rare events algorithm experiment.

Improved sampling of rare events

PDF of 30-day events



$r = 100\text{-year events}$

Computational
cost

Control simulation

1000 years of climate simulation for
10 independent 100-year events.

Rare event algorithm

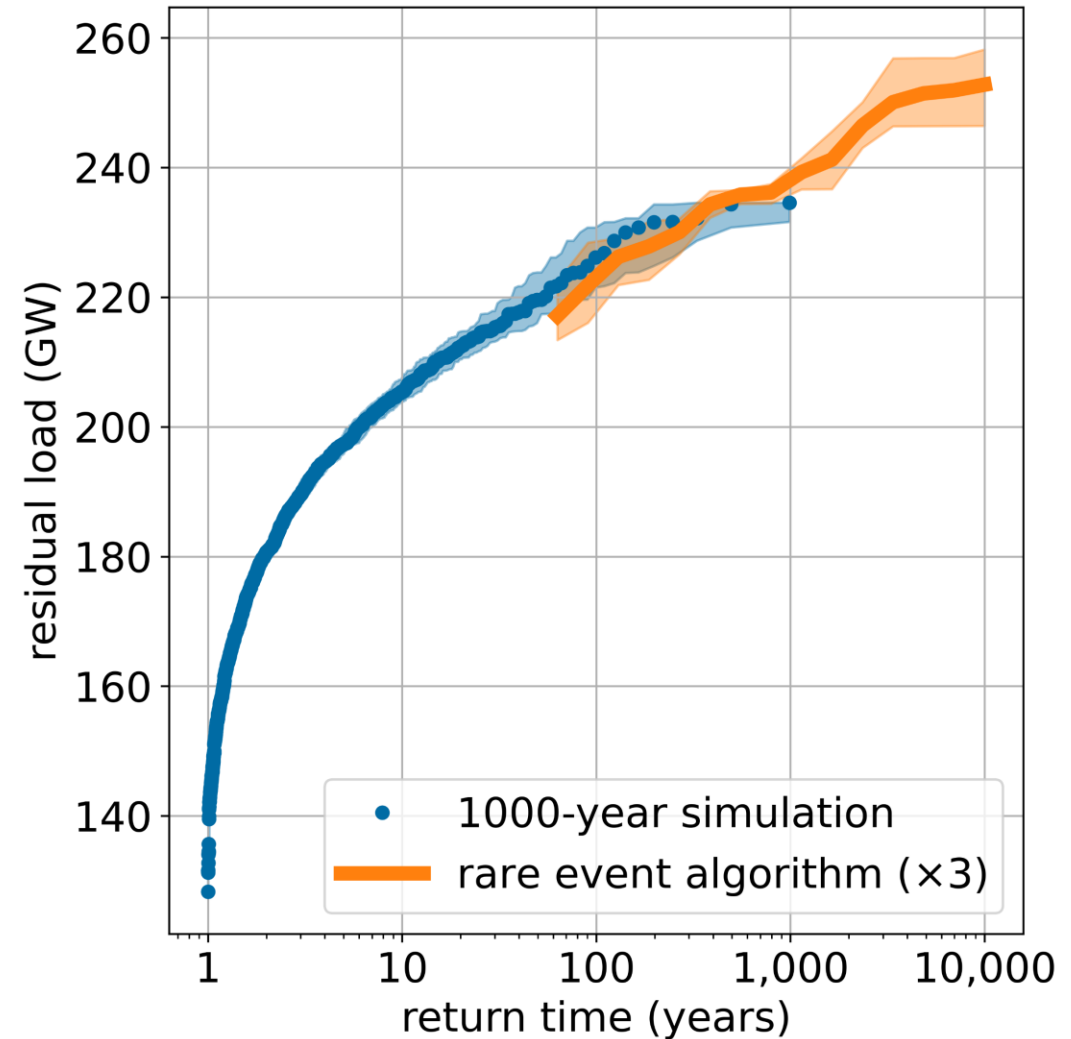
33 years (+100 years) of climate simulation for
8 independent 100-year events.

- We can sample the same number of extreme events at lower numerical cost
- Or
- We can sample more extreme events with the same numerical cost.

Estimation of the return time

- We can estimate the return time of monthly events up to 10,000 years

Return time curves for 30-day events

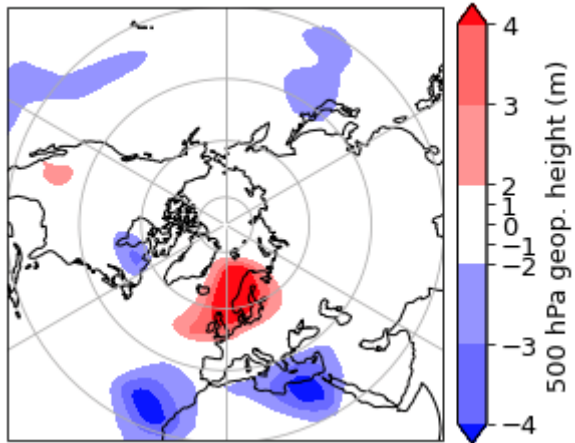


Teleconnection patterns are more significant

One sample t-test:
$$t = \frac{\hat{\mu}(a) - \mu_0}{s/\sqrt{M}}$$

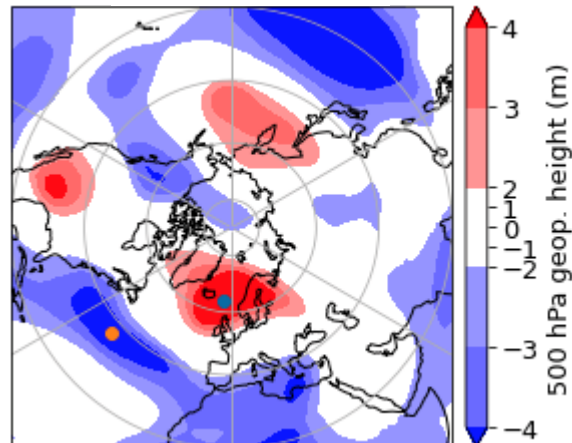
r = 100 years

T = 30 days



1000-year
control simulation

T = 30 days



Rare event algorithm

- Extreme 100-year events show a significant teleconnection pattern, highlighting characteristic large-scale dynamics.
- A large-scale pattern could lead to stronger predictability.

Conclusions

- Extreme 10-year daily and monthly events of residual load are associated with a geopotential height dipole in Europe.
 - There is a lack of data to study extreme 100-year events.
-
- Rare event algorithm can sample more extreme events with a smaller numerical cost.
 - We can estimate the return time of monthly events up to 10,000 years.
 - Extreme 100-year events show significant teleconnection patterns, potentially predictable

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Appendix

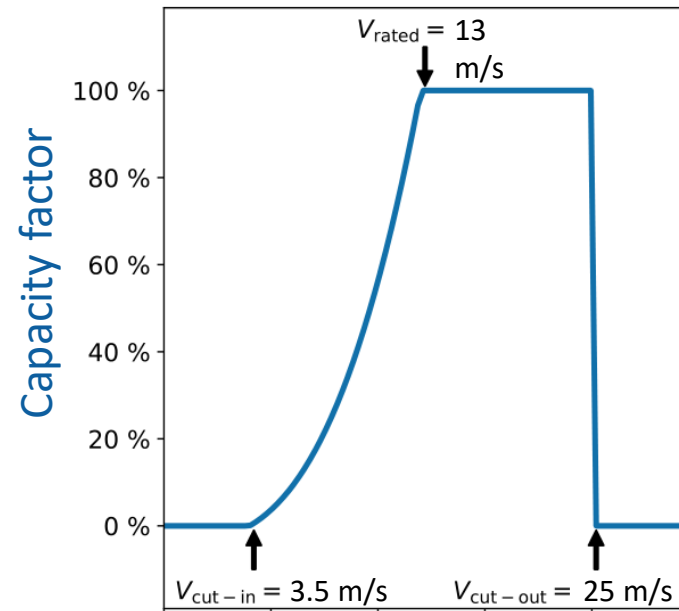
Renewable production and demand model

Simple model [1]

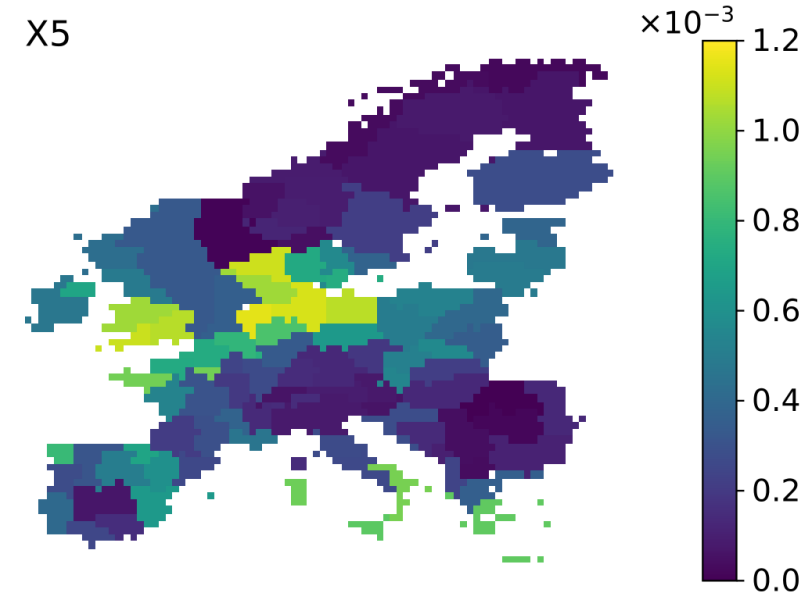
- Wind production
- Solar PV production
- Electricity demand

With 8 scenarios of wind and solar PV installed capacity.

Illustration of the wind model



Local onshore
80-m wind speed (m/s)

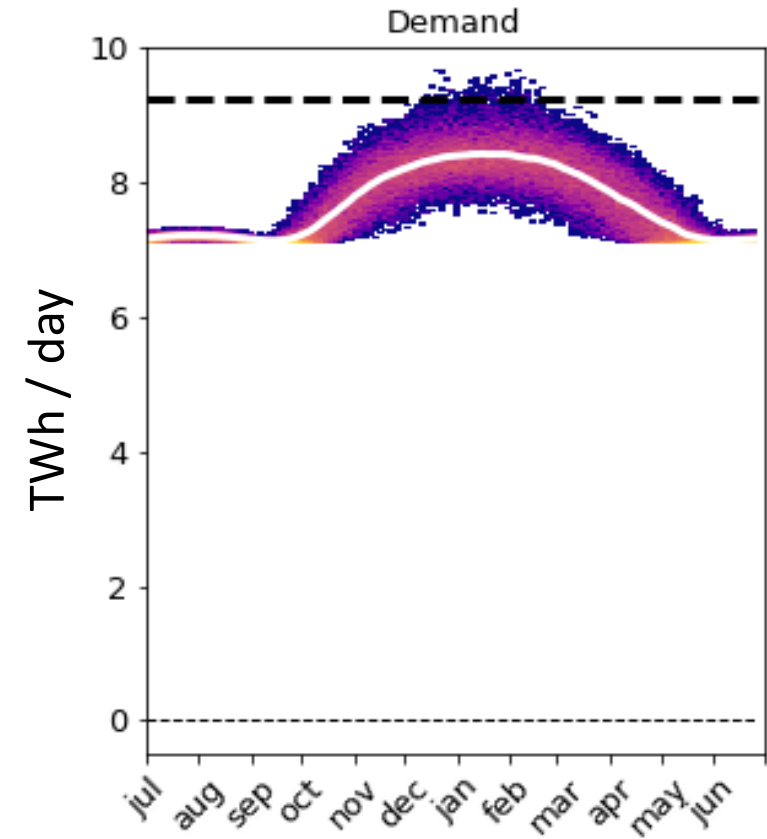
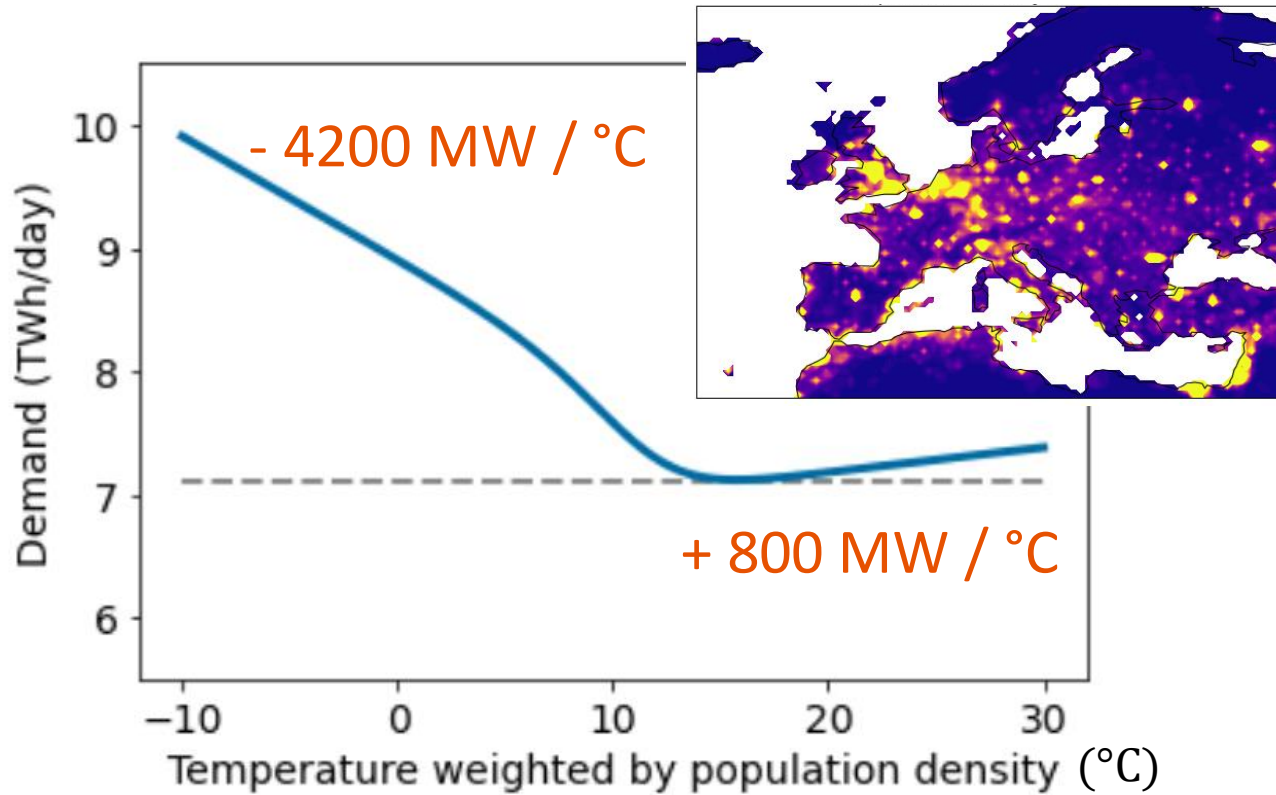


Installed capacity density (in %)
of one of the 8 scenarios

[1] van der Wiel et al. *Environ. Res. Lett.* (2019)

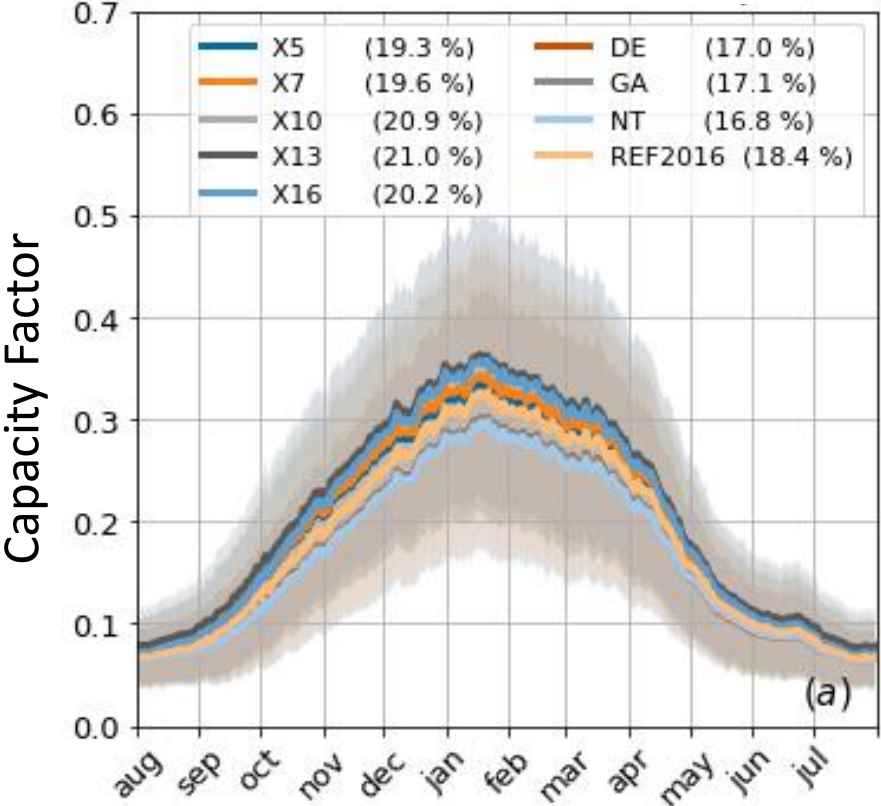
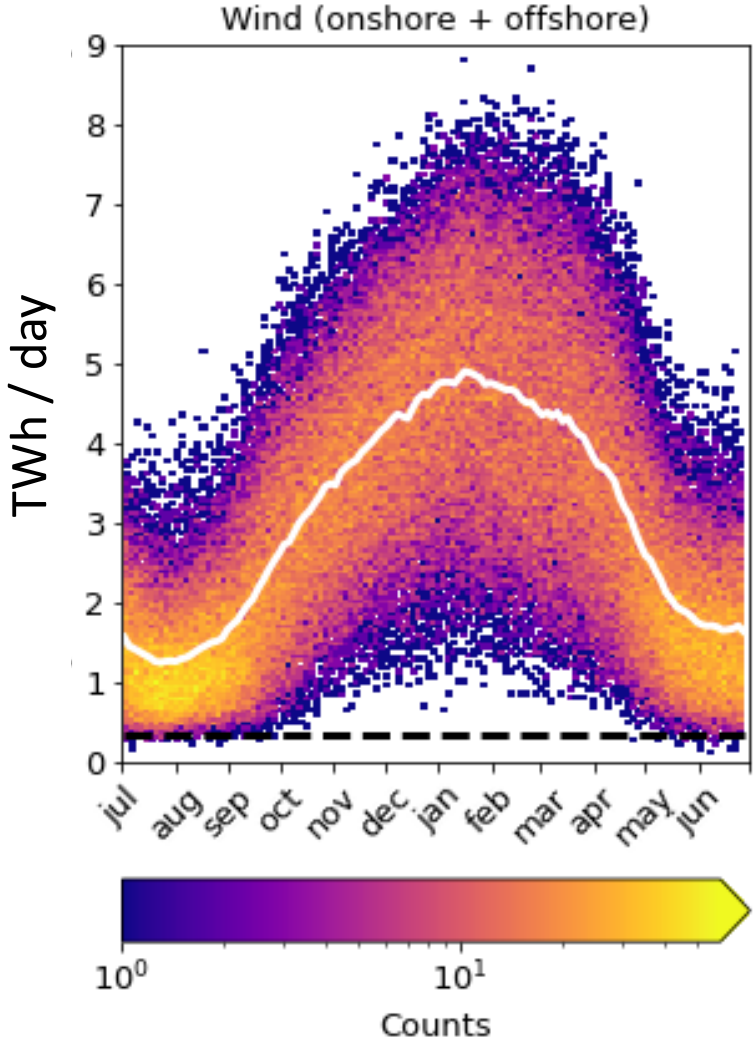
Demand model

Population density



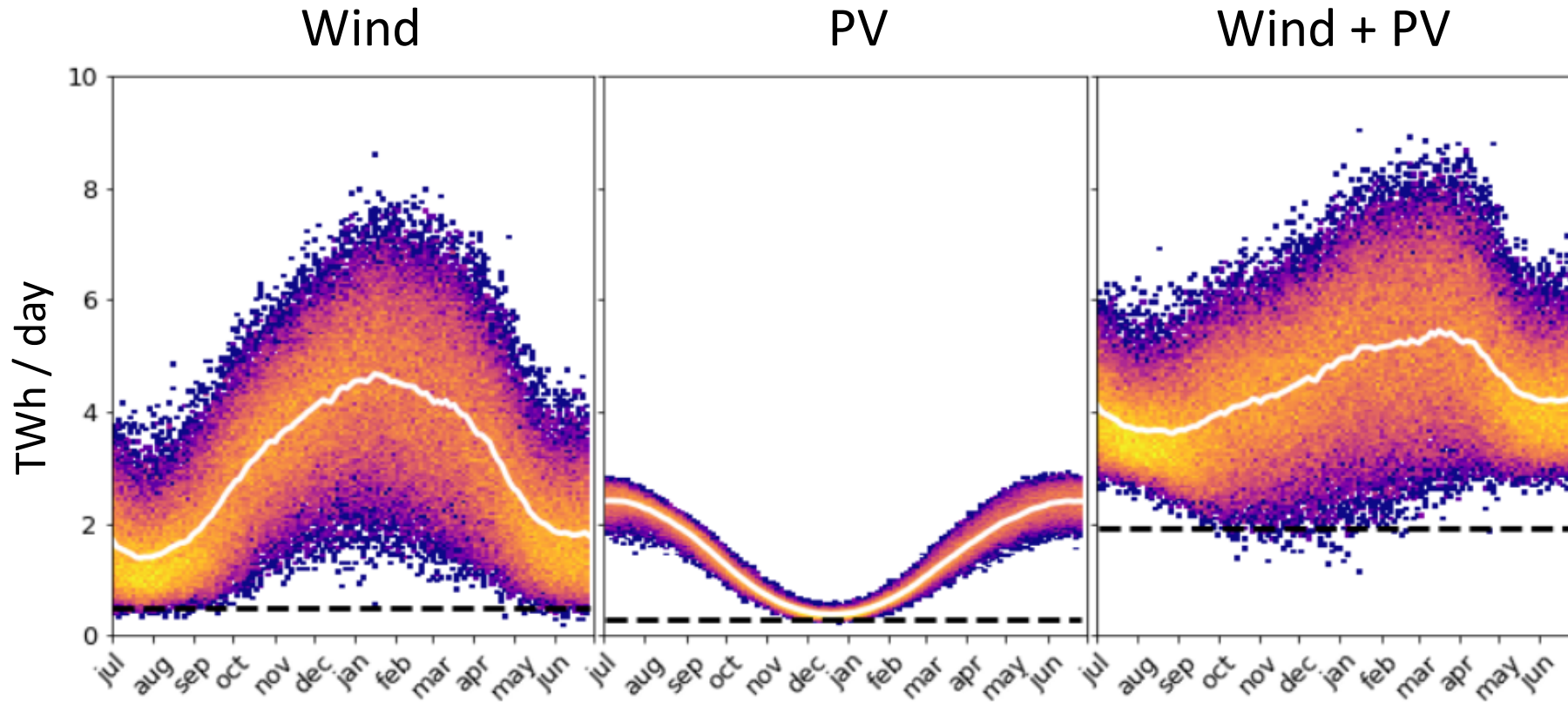
Energy demand model for 15 European countries, based on 2006-2015 ENTSO-e data.
Van der Wiel et al. (2019a)

Wind production model



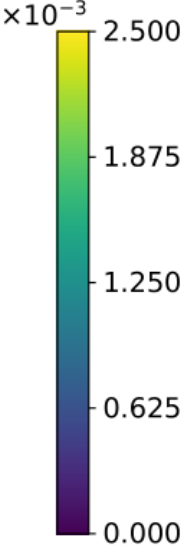
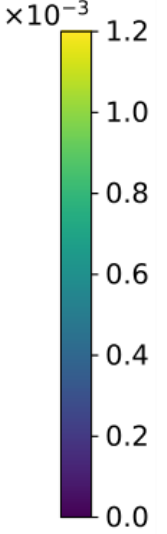
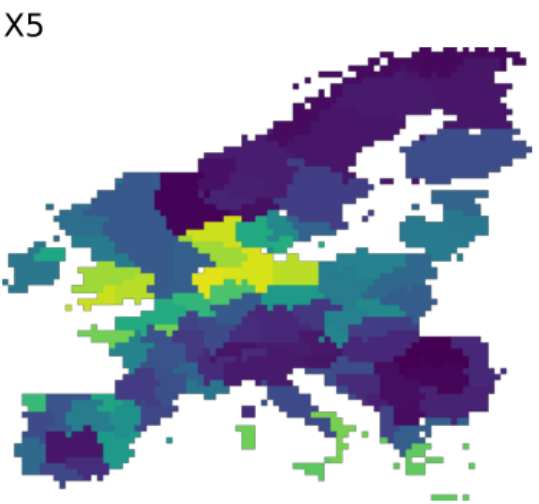
Mean and standard deviation of capacity factor for all scenarios

Solar PV production model



● Solar PV production = $f(W_{radiation}, T_{air}, WS)$

Wind installed capacity



X7



X10



X13



X16



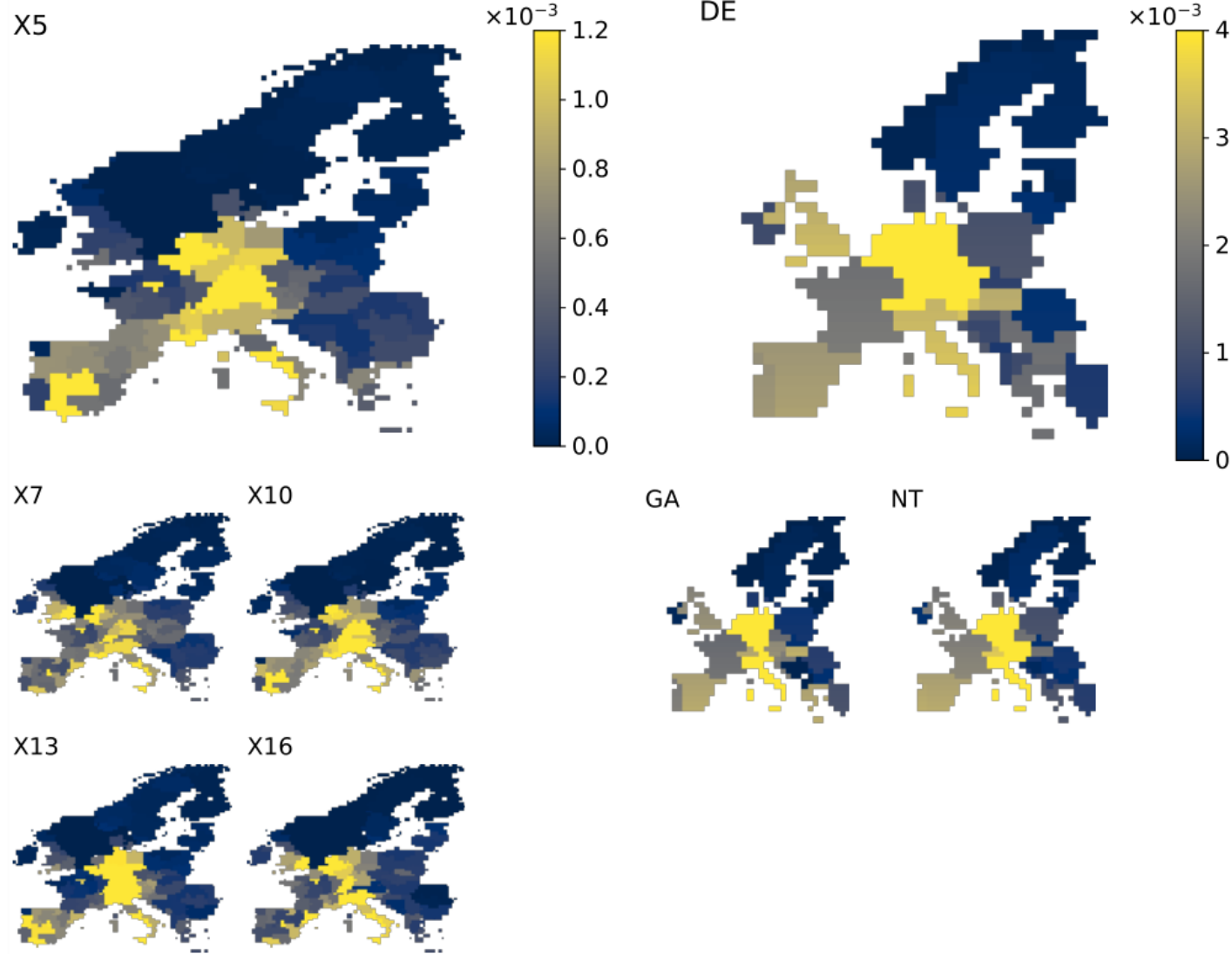
GA



NT



Solar PV installed capacity



Definition of 30-day residual load events

We define the random variable t_* as the date when the maximum T -day average of the observable A occurs:

$$t_* = \operatorname{argmax}_{t \in [0, T_a - T]} \left\{ \frac{1}{T} \int_t^{t+T} R(u) \, du \right\}. \quad (10)$$

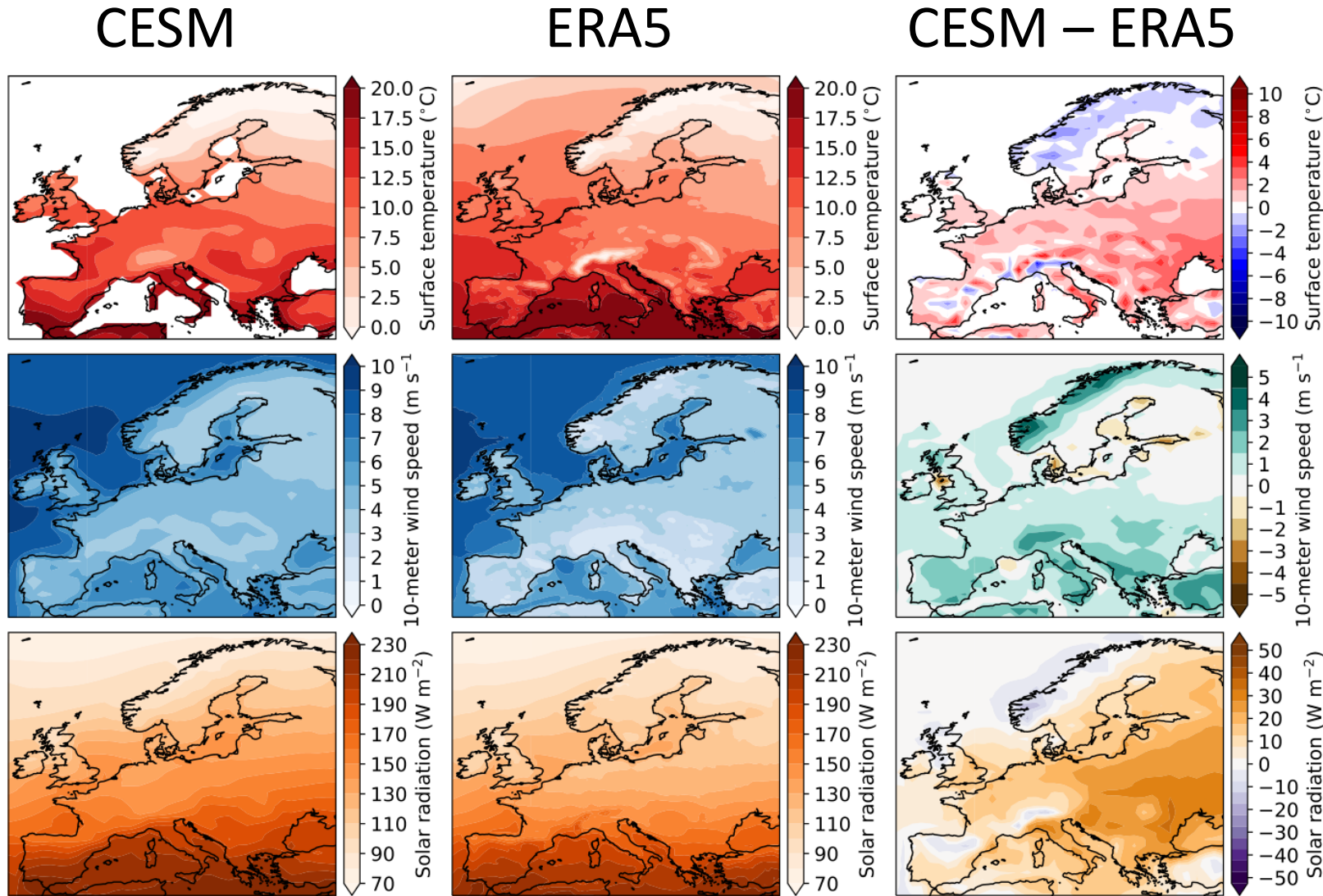
We note A_* and X_* the T -day average values:

$$A_* = \max_{t \in [0, T_a - T]} \left\{ \frac{1}{T} \int_t^{t+T} R(u) \, du \right\} = A_T(t_*) \quad (11)$$

$$X_* = X_T(t_*) \quad (12)$$

- Composite map = $\mathbb{E}[X | A \geq a]$

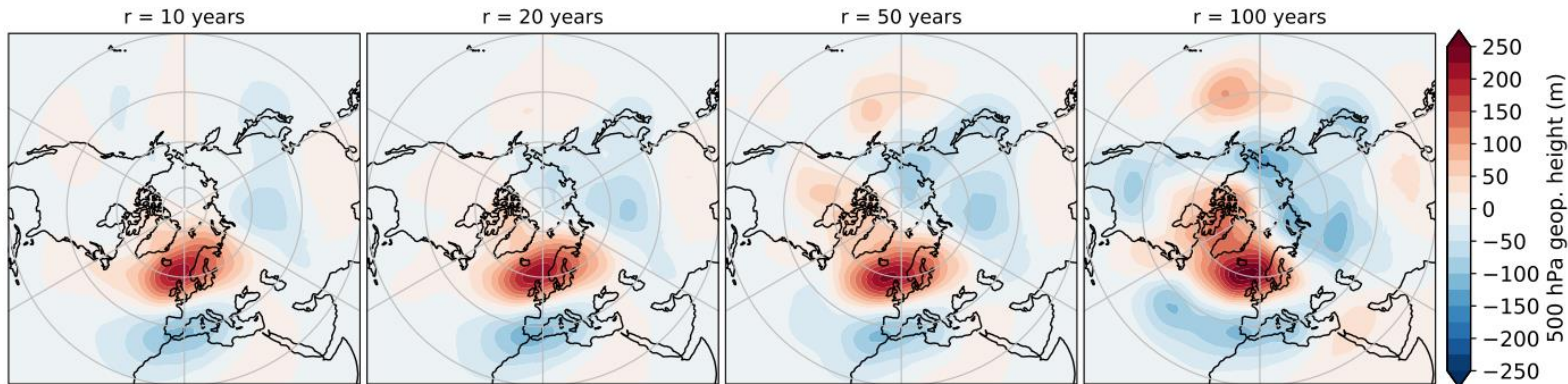
Bias of our climate model w.r.t. reanalysis



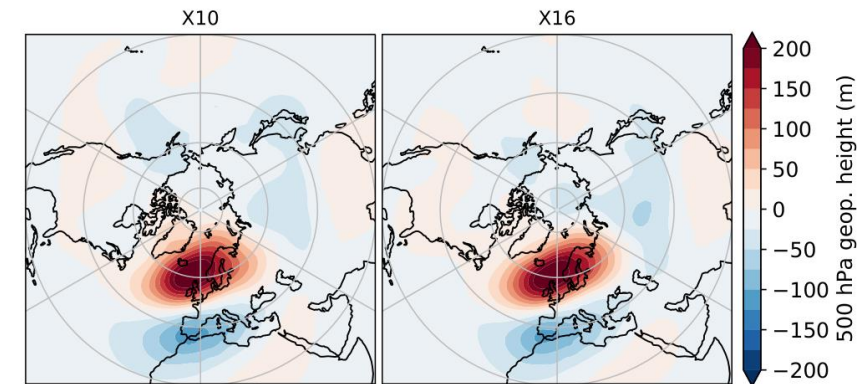
Climatology of CESM and 1980-2020 ERA5 (left and middle panel), and difference (right panel).

Composite maps pattern depends little on r , T or sce

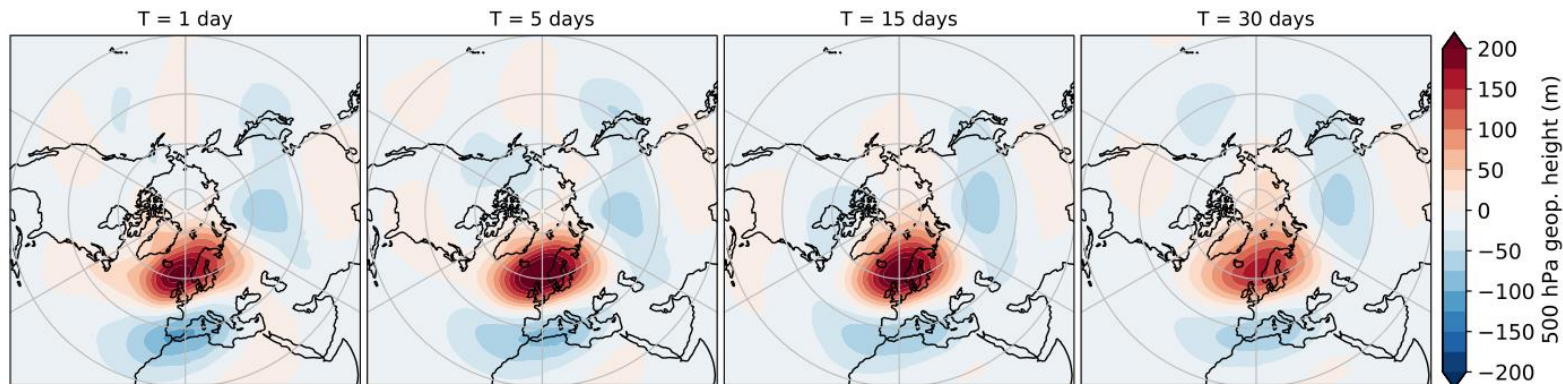
Return time ↗



Change scenario

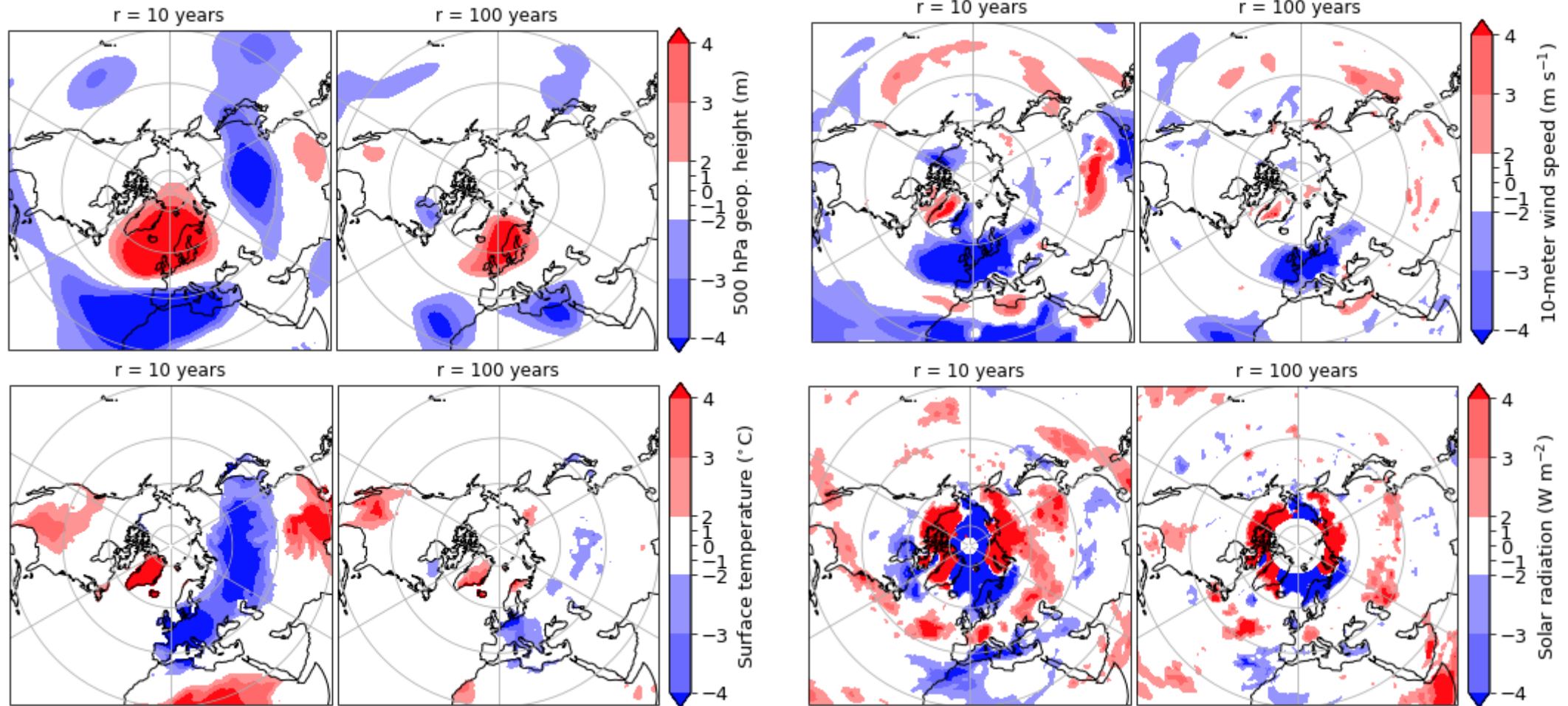


Duration T ↗

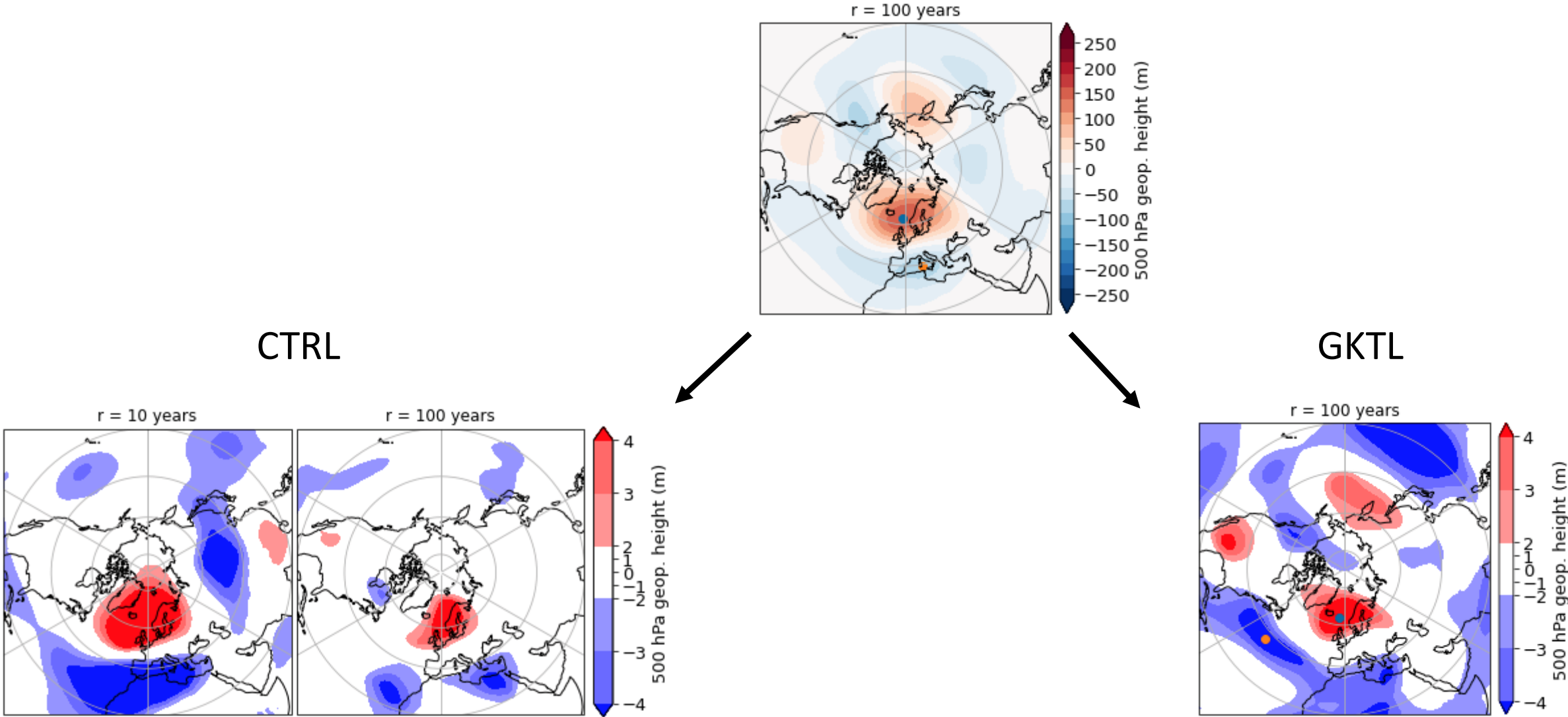


Significance map for control run

$$t = \frac{\hat{\mu}(a) - \mu_0}{s/\sqrt{M}}$$



Significance map for GKTL



Significance map for GKTL

