

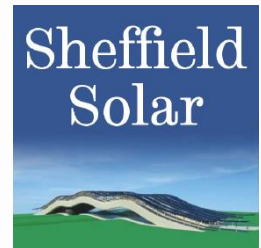
Impact of PV forecasting errors



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Introduction

- 4% of UK's power from PV
- System integration costs are a significant issue for renewable energy generation
- Examine the integration costs of PV systems
 - What is the financial (system) cost of forecast errors?
 - Impact of location & PV penetration
 - Optimal distribution of solar PV fleet



System Integration Costs

Shape Losses

- The change in value of the generation electricity generated based on the shape of the generation profile relative to baseload (constant) generation
- I.e. Generation-weighted price / average price

$$\text{Value Factor} = 1 - \text{Shape losses} = \frac{\overline{s_a p_f}}{s_a \overline{p_f}}$$

s_f is the forecast solar electricity generated in the period,
 s_a is the actual solar electricity generated in the period,
 p_f is the forward electricity price - the price at which the electricity can be bought or sold at the time when the forecast is known,
 p_{rt} is the price at which the electricity is purchased in near real-time.

Forecast Losses

- Generators must **forecast** generation
- Lowest risk strategy is to sell forecast power day-ahead
- **Errors** in forecast must be purchased in the real-time market

$$\begin{aligned} I &= s_f \cdot p_f + (s_a - s_f) \cdot p_{rt} \\ &= s_a p_f + s_f p_f - s_a p_f + (s_a - s_f) p_{rt} \\ &= s_a p_f + (s_f - s_a)(p_f - p_{rt}) \\ &= \boxed{s_a p_f} + \boxed{\Delta s \Delta p} \end{aligned}$$

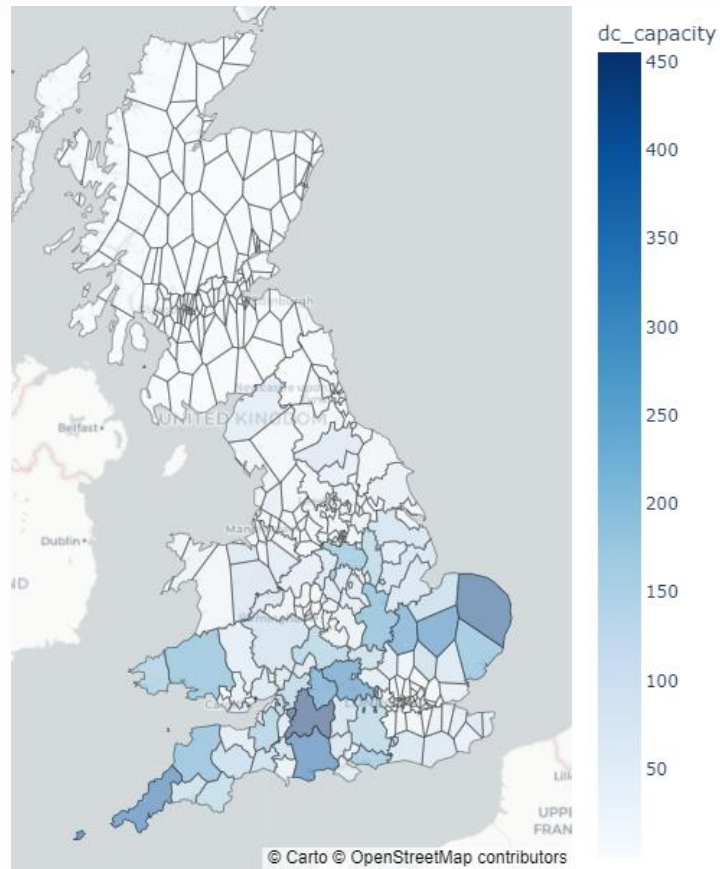
Income with a perfect forecast Impact of forecast errors

$\Delta s = (s_f - s_a)$ is the error in the forecast of solar energy generation,
 $\Delta p = (p_f - p_{rt})$ is how far the real-time settlement price differed from the market expectation a day ahead.

Method

- Used generation data from:
 - Over 20,000 PV systems
 - Distributed over GB
 - 2015-2022
- Created day ahead forecasts using NWP & ML model (xg_boost) of hourly generation for each system
- Combined with prices from Nordpool & balancing market

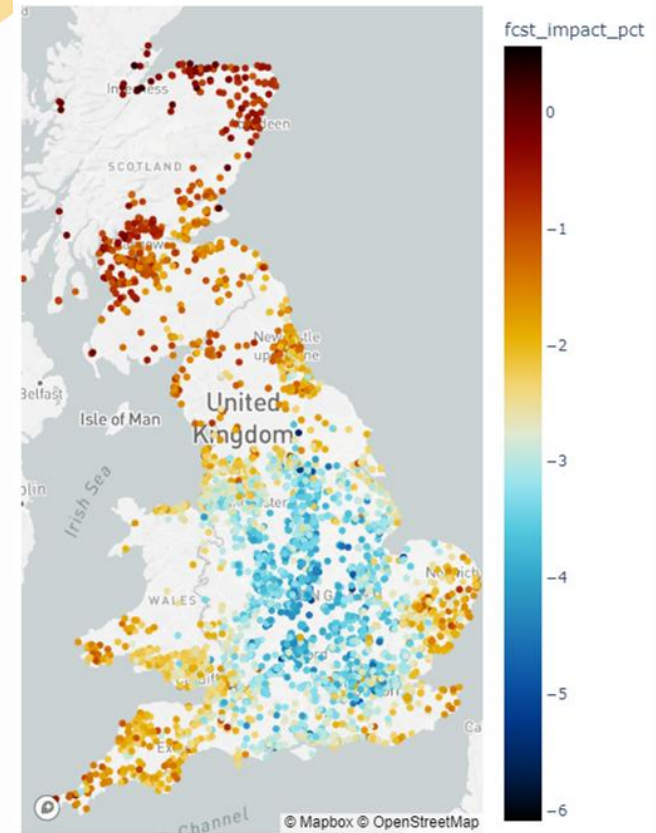
PV Capacity





Forecast Loss Observations

- Observe much greater forecast losses in centre of country
 - Up to 5% of revenues
- Current loss is £24.7m p.a.
 - By 2035 - with PV targets, this will be ~£125M p.a.
- Can we understand this better?



Forecast loss as % of revenues

Components of Forecast Impacts

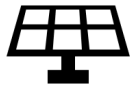
Forecast impact can be rearranged:

$$\begin{aligned}
 E[\text{Forecast Impact}] &= E[\Delta s \Delta p] \\
 &\approx \text{Cov}(\Delta s, \Delta p) \\
 &= \rho \sigma_{\Delta p} \sigma_{\Delta s}
 \end{aligned}$$

Holds as the mean of Δp and Δs are very small:

$$\frac{\overline{\Delta s}}{\sigma_{\Delta s}} = -0.006 \quad \& \quad \frac{\overline{\Delta p}}{\sigma_{\Delta p}} = 0.02$$

Unbiased forecast Unbiased markets



$\sigma_{\Delta s}$

Standard deviation of PV site forecast error (RMSE)



ρ

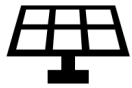
Correlation between the site's forecast error and the price difference



$\sigma_{\Delta p}$

Standard deviation of price difference between day ahead and real-time

Direct observable correlation



$\sigma_{\Delta s}$

Standard deviation of PV site forecast error (RMSE)



ρ

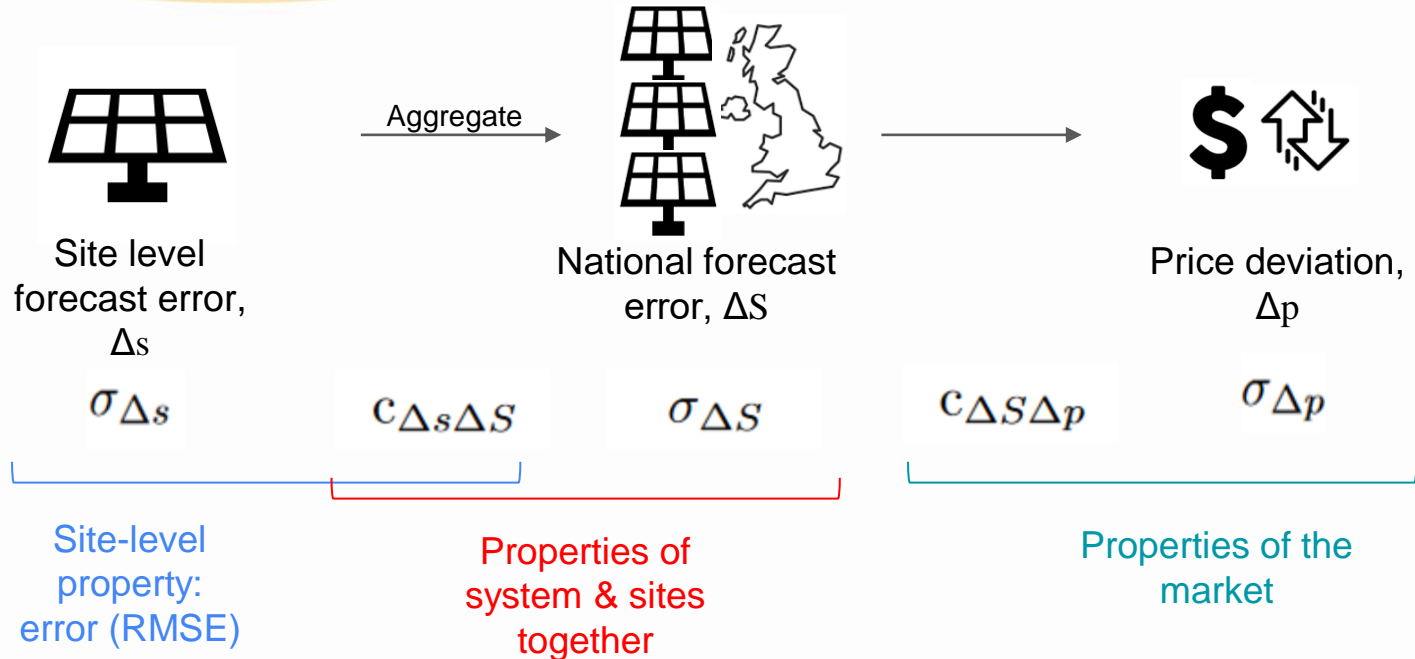
Correlation between the site's forecast error and the price difference



$\sigma_{\Delta p}$

Standard deviation of price difference between day ahead and real-time

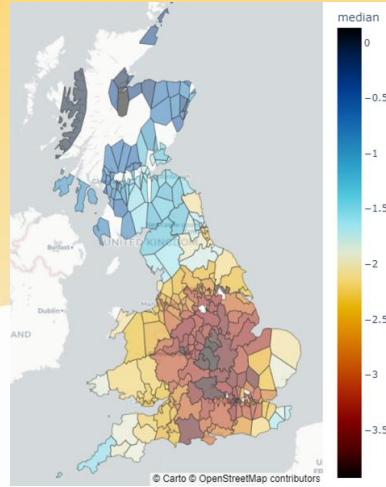
Create National Forecast Error



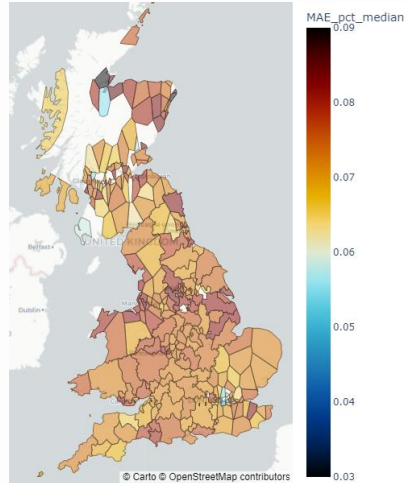


Components

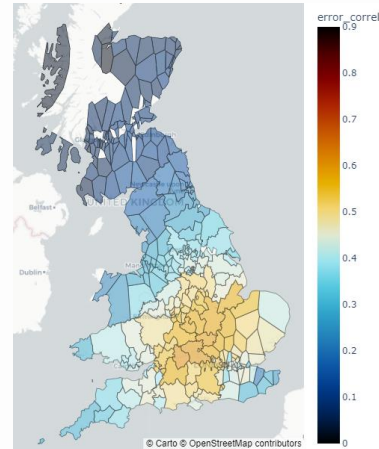
Forecast
Impact
(%)



Standard
deviation
of site-
level
Errors



Correlation
of site-level
errors with
national
error



Correlation of National
error with Price
difference:

$$C_{\Delta S \Delta p} = -13.5\%$$

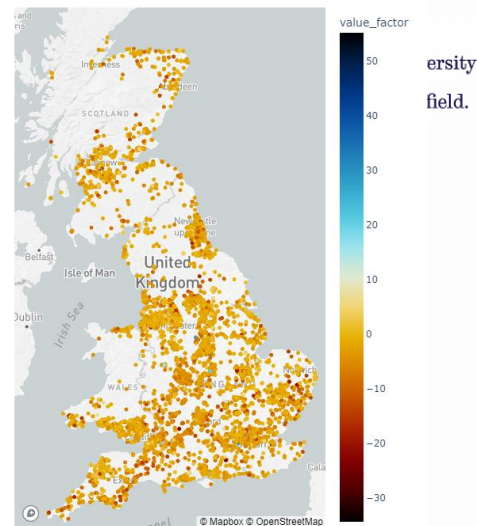


How do shape losses compare?

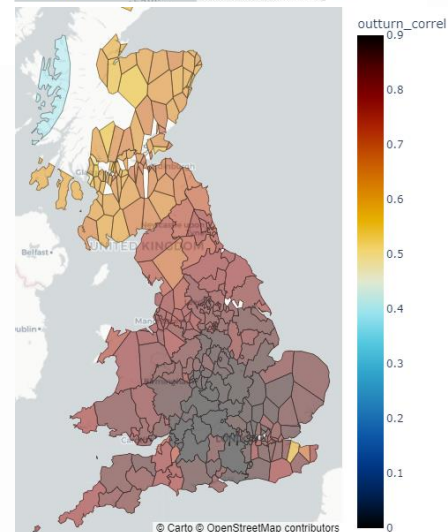
$$\text{Value Factor} = 1 - \text{Shape losses} = \frac{\overline{s_a p_f}}{s_a \overline{p_f}}$$

- Driven by the correlation of **outturns**
- Site-level correlations of actual generation are geographically flat
- Correlation is nationally high & even

Shape losses



Correlation of site-level outturns and national outturn



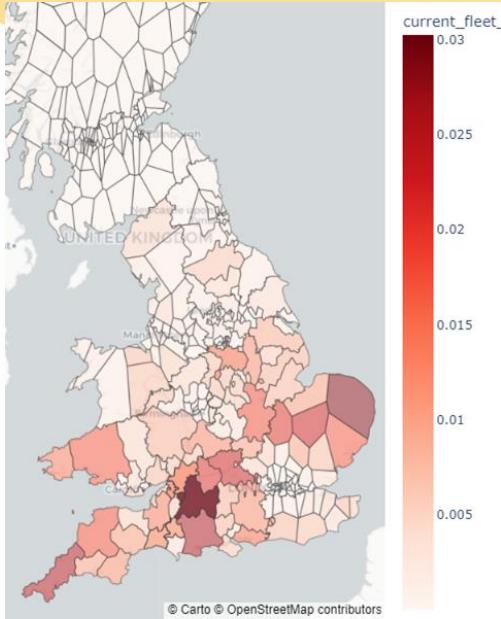
Optimising PV Fleet

- We can take advantage of the lack of correlation of forecast errors across regions
- National forecast error (sigma) can be minimised
- Minimise weights across covariance of forecast errors

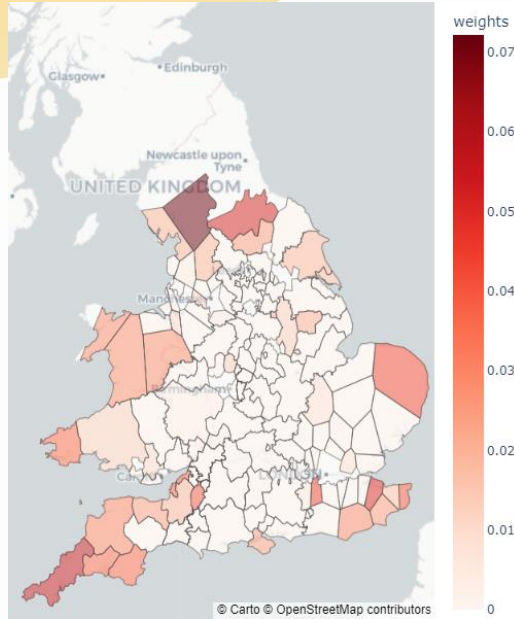
$$\sigma_{\Delta S}^2 = \mathbf{C}\mathbf{Cov}(\mathbf{S})\mathbf{C}^T$$



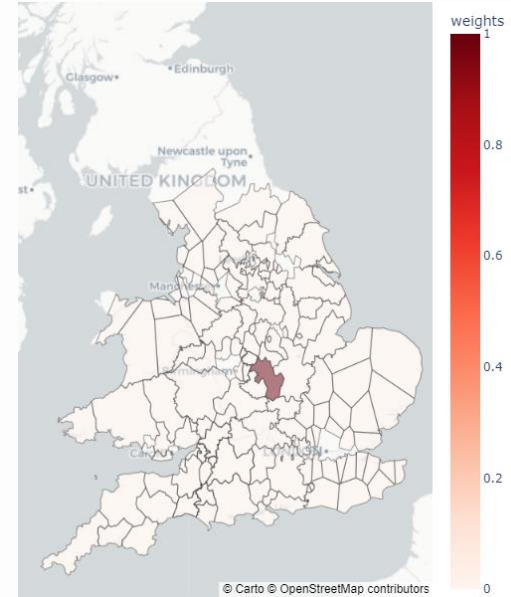
Optimal Fleet - Reduces Costs by 25%



Current fleet
Sigma = 3.6%



Optimal fleet
Sigma = 2.8%

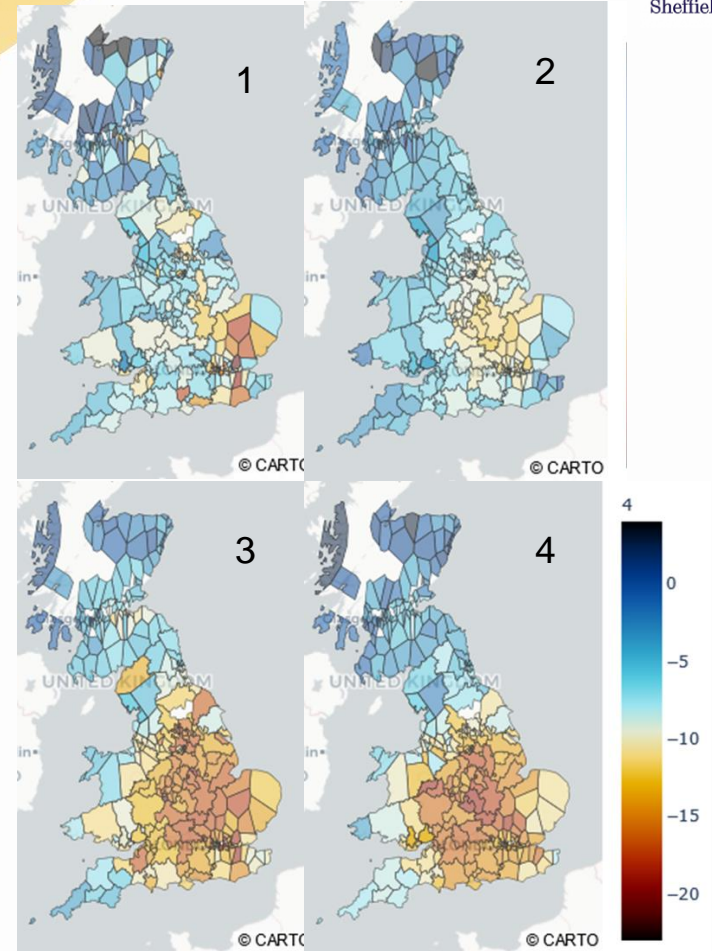
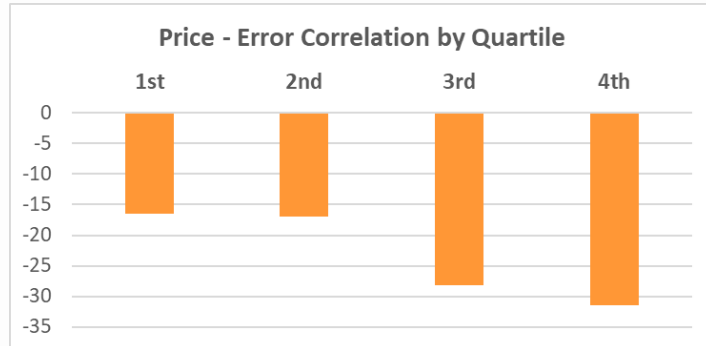


Worst fleet
(E.g. small island)
Sigma = 7.6%



Losses as PV penetration increases

- Examine correlation for hours where PV makes up a greater share of the energy mix
- Quartiles: PV as % of generation





Further Work

- Consider forecast errors in other markets
- Wind and interconnection impacts
- Further understand impact of PV penetration



Thank You!

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